



<b>1. Subject name</b>	Advanced CFD in Vehicle Industry				
<b>2. Code</b>	<b>BMEKORHD 005</b>	<b>3. Evaluation</b>	exam	<b>4. Credit</b>	4
<b>5. Seminars per week</b>	2 lecture	2 practice	0 lab	<b>6. Curriculum</b>	D0, D1
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	Department of Aeronautics, Naval Architecture and Railway Vehicles				
<b>9. Responsible lecturer</b>	Dr. Veress Árpád				
<b>10. Lecturers</b>	Dr. Veress Árpád				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	-				
<b>13. Objective of the subject</b>					
The state of the art introduction of the different simulation techniques in the field of CFD with especial care for vehicle applications as follows: internal and external flows in automotive engineering, aerodynamics of air- and spacecraft, turbomachinery (compressors, turbines and propellers), modelling of burning in gas turbine combustors, particle tracking, flows in porous materials, free surface flows, aeroacoustics and optimizations.					
<b>14. Individual student assignment</b>					
Solution of a defined problem in a specific area.					
<b>15. Assessment, requirements for examination</b>					
The criterion of the acceptance of the semester and so getting the signature is the completeness of the solution of a defined problem in a specific area in the agreed time and quality. The exam is oral. The final mark of the exam is the mathematical average of the results for the own task and the exam.					



<b>1. Subject name</b>	Analitical Methots in System Technique I.				
<b>2. Code</b>	<b>BMEKOVJD 001</b>	<b>3. Evaluation</b>	<b>exam</b>	<b>4. Credit</b>	<b>4</b>
<b>5. Seminars per week</b>	<b>2 lecture</b>	<b>0 practice</b>	<b>0 lab</b>	<b>6. Curriculum</b>	<b>D0, D1</b>
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	<b>Department of Aeronautics, Naval Architecture and Railway Vehicles</b>				
<b>9. Responsible lecturer</b>	Dr. Zobory István				
<b>10. Lecturers</b>	Dr. Zobory István				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	-				
<b>13. Objective of the subject</b>					
Sets. Basic number sets. Numerical sequences and numerical series. Convergency. Defining functions. Description of functions. Multivariate functions. Limit value, continuity and differentiability. Concept of Riemann-integral. Convergency concepts. Important function series: Taylor-series and Fourier-series. Basic numerical methods. Polynomial interpolations. Lagrange-interpolation, Hermite-interpolation and spline-interpolation. The method of least square. Numerical solution to algebraic equations. Method of intervallum-dividing. String-method. Section method. Tangent method. Successive approximation. Numerical integration. The Newton-Cotes procedure. The trapeze-rule. The Simpson-trule. Linear algebra and matrix calculus. Linear space. Linear sub-space. Linear independence. Generator-system. Basis. Scalar product. Ortogonality. Norma.Metric space. Matrices and vectors. Standard basis. Description of the elements of the linear space by using different bases. Homogeneous linear mappings and their matrices. Rang of matrices. Basis-dependence of the matrix of a linear mapping. Matrix product. Determinants. Inverse matrix. Linear set of equations. Condition of solvability based on the rang of the coefficient matrix. The Gaussean algorithm. Improvement of the accuracy. Iterative methods. The accelerating algorithm of Seidel. Treatment of contradictory (principally not solvable) set of equations.					
<b>14. Individual student assignment</b>					
Solution of a homework using mathematical methods. Individual programming tasks using equations of the theoretical part of the course.					
<b>15. Assessment, requirements for examination</b>					
Accepted homework sent before the deadline and written exam.					



<b>1. Subject name</b>	Analitikal Methods in System Technique II.				
<b>2. Code</b>	<b>BMEKOVJD 002</b>	<b>3. Evaluation</b>	exam	<b>4. Credit</b>	4
<b>5. Seminars per week</b>	2 lecture	0 practice	0 lab	<b>6. Curriculum</b>	D0, D1
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	<b>Department of Aeronautics, Naval Architecture and Railway Vehicles</b>				
<b>9. Responsible lecturer</b>	Dr. Zobory István				
<b>10. Lecturers</b>	Dr. Zobory István				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	Analitikus módszerek a rendszertechnikában I.				
<b>13. Objective of the subject</b>					
Algebraic and trigonometric form of complex numbers. Euler-relation. Defining complex functions. The complex function as mapping. Differentiability of complex functions. The Cauchy-Riemann differential equations. Integration of complex functions. Integral theorems. Integration along a given curve with respect to arclength. Harmonic functions. Elements of Laplace- and Fourier transform. The concept and classification of differential equations. The general initial value problem. The equivalent integral equation. The Picard-Lindelöf iteration. The Lipschitz condition. Tracing back higher order differential equations to a first order set of differential equations. Solution methods for treating linear differential equations. Application of Laplace transform for the solution of differential equations. Numerical solution to differential equations: The Euler-method, the Heun-method, the Runge-method and the Runge-Kutta method. Differential-equation systems. Solution to the homogeneous part of the linear differential equation via treating an eigenvalue-problem. Test function method for the solving inhomogeneous set of differential equations. The general solution and the particular solutions. Tracing back higher order differential equation systems to a first order linear differential equation system. Numerical solution to differential equation systems. Stability of the solution to differential equations and differential equation systems in the case of perturbing the initial values or the coefficients. Stability analysis for linear differential equations, the Hurwitz-criterion. Stability analysis for non-linear differential equations. The method of Ljapunov.. Construction of Lajapunov functions. The basic lemma of the variation calculus. The Euler-Lagrangean equation. Direct methods of the variation calculus. Euler-method based on broken lines. The Ritz-method.					
<b>14. Individual student assignment</b>					
Practical tasks for using theory.					
<b>15. Assessment, requirements for examination</b>					
Regular participation at the lectures and written exam.					



<b>1. Subject name</b>	Analitical Methots in System Technique III.				
<b>2. Code</b>	<b>BMEKOVJD 003</b>	<b>3. Evaluation</b>	<b>exam</b>	<b>4. Credit</b>	<b>4</b>
<b>5. Seminars per week</b>	<b>2 lecture</b>	<b>0 practice</b>	<b>0 lab</b>	<b>6. Curriculum</b>	<b>D0, D1</b>
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	<b>Department of Aeronautics, Naval Architecture and Railway Vehicles</b>				
<b>9. Responsible lecturer</b>	Dr. Zoller Vilmos				
<b>10. Lecturers</b>	Dr. Zoller Vilmos				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	Analitikus módszerek a rendszertechnikában I. és II.				
<b>13. Objective of the subject</b>					
In the main part linear partial differential equations. First order equations. The solution as an integral-manifold. Homogeneous and non-homogeneous equations. Characteristic curve, characteristic equation. First order partial differential equations. Constant coefficient linear partial differential operator with complex coefficients. The Cauchy-Riemann operator. In the main part linear second order partial differential equations. Classification. Constant coefficient second order partial differential equations. Hyperbolic type equations. The wave operator. Parabolic type equations. Thermal operator. Schrödinger operator. Fourth order operators: Euler-Bernoulli, Rayleigh and Timoshenko beam operators. Elliptic type equations. Initial value and Boundary value problems. The Fourier method. Basic concepts of topology. Generalisation of the metric space, the topologic space. Local convexity. The space of basic functions. Distributions. Direct product. Convolution. Fourier transform of distributions. Basic solutions. Linear differential operator of constant coefficient. First order case. The wave operator. Klein-Gordon equation. Basic solution to the wave-equation. Basic solution for the thermal operator. Basic solution for the Cauchy-Riemann operator. Basic solution for the Laplace operator, connection with the Poisson equation. Basic solution for the Helmholtz operator					
<b>14. Individual student assignment</b>					
Practical tasks for using theory.					
<b>15. Assessment, requirements for examination</b>					
Regular participation at the lectures and written exam.					



<b>1. Subject name</b>	Analytical mechanics				
<b>2. Code</b>	<b>BMEKOJSD</b> <b>001</b>	<b>3. Evaluation</b>	<b>exam</b>	<b>4. Credit</b>	<b>4</b>
<b>5. Seminars per week</b>	<b>2 lecture</b>	<b>1 practice</b>	<b>0 lab</b>	<b>6. Curriculum</b>	<b>D0, D1</b>
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	<b>Department of Vehicle Elements and Vehicle-Structure Analysis</b>				
<b>9. Responsible lecturer</b>	Dr. Béda Péter				
<b>10. Lecturers</b>	Dr. Béda Péter				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	-				
<b>13. Objective of the subject</b>					
Presentation of basic notions and study methods of the analytical mechanics. Theoretical background for those PhD students who need to define equations of motion and to study them analytically .					
<b>14. Individual student assignment</b>					
Preparation of an essay or paper in the topic of the PhD student, based on the discussed methods. Review and evaluation by the teacher.					
<b>15. Assessment, requirements for examination</b>					
Semester note upon successful realisation of the homework and an oral exam.					



<b>1. Subject name</b>	Continuum Mechanics				
<b>2. Code</b>	<b>BMEKOMED 030</b>	<b>3. Evaluation</b>	exam	<b>4. Credit</b>	4
<b>5. Seminars per week</b>	2 lecture	1 practice	0 lab	<b>6. Curriculum</b>	D0, D1
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	Department of Vehicle Elements and Vehicle-Structure Analysis				
<b>9. Responsible lecturer</b>	Dr. Béda Péter				
<b>10. Lecturers</b>	Dr. Béda Péter				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	-				
<b>13. Objective of the subject</b>					
Presentation of basic notions and study methods of the continuum mechanics. Theoretical background for students that need to study motion and deformation of material bodies considered as continuum.					
<b>14. Individual student assignment</b>					
Preparation of an essay or paper in the topic of the PhD student, based on the discussed methods. Review and evaluation by the teacher.					
<b>15. Assessment, requirements for examination</b>					
Semester note upon successful realisation of the homework and an oral exam.					



<b>1. Subject name</b>	Data collection and evaluation systems PhD				
<b>2. Code</b>	<b>BMEKOGED 007</b>	<b>3. Evaluation</b>	exam	<b>4. Credit</b>	4
<b>5. Seminars per week</b>	2 lecture	2 practice	0 lab	<b>6. Curriculum</b>	D0, D1
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	Department of Vehicle Elements and Vehicle-Structure Analysis				
<b>9. Responsible lecturer</b>	Dr. Lovas László				
<b>10. Lecturers</b>	Dr. Lovas László				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	-				
<b>13. Objective of the subject</b>					
Role of the measurements in the modern structure design process. Presentation of the measurement theory and process for photoelastic coatings and for strain measurement.					
<b>14. Individual student assignment</b>					
Preparation of an essay based on the discussed methods. Oral presentation.					
<b>15. Assessment, requirements for examination</b>					
Semester note upon the essay, the presentation and a written exam.					



<b>1. Subject name</b>	Digital Image Processing				
<b>2. Code</b>	<b>BMEKOALD 002</b>	<b>3. Evaluation</b>	exam	<b>4. Credit</b>	4
<b>5. Seminars per week</b>	2 lecture	0 practice	2 lab	<b>6. Curriculum</b>	D0, D1
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	Department of Material Handling and Logistics Systems				
<b>9. Responsible lecturer</b>	Dr. Szirányi Tamás				
<b>10. Lecturers</b>	Dr. Szirányi Tamás, Rózsa Zoltán				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	-				
<b>13. Objective of the subject</b>					
Digital image processing deals with processing of 2 and 3 dimensional structures of digital images, including enhancement, reconstruction and analysis. Students study the theoretical background of image interpretation and analysis, including basis of pattern recognition.					
<b>14. Individual student assignment</b>					
Realization and testing of algorithms.					
<b>15. Assessment, requirements for examination</b>					
The grade is calculated from the grade of the two mid-term tests, and the grade of the final exam as an average.					





<b>1. Subject name</b>	Electronically controlled vehicle systems PhD				
<b>2. Code</b>	<b>BMEKOGJD 003</b>	<b>3. Evaluation</b>	exam	<b>4. Credit</b>	4
<b>5. Seminars per week</b>	4 lecture	0 practice	0 lab	<b>6. Curriculum</b>	D0, D1
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	Department of Vehicle Technology				
<b>9. Responsible lecturer</b>	Dr. Szalay Zsolt				
<b>10. Lecturers</b>	Dr. Tihanyi Viktor				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	-				
<b>13. Objective of the subject</b>					
Our students can effectively use the knowledge of this subjects during their research on modern, electronically controlled vehicle dynamics systems. Topics: design problem of electronically controlled vehicle dynamics systems used in modern vehicles; different types of suspension control systems; electronically controlled levelling systems of commercial vehicles; electronically controlled steering, braking and driving systems; stability control system.					
<b>14. Individual student assignment</b>					
Attendees of the subject - based on the presentations and research work related to the subject, - make out the dynamic model of an arbitrarily selected, electronically controlled vehicle system, and examine its stability problems.					
<b>15. Assessment, requirements for examination</b>					
The acquisition of the signature of the subject, and, in addition, the condition of taking exam is giving in the complete individual student homework for deadline. The exam is oral.					



<b>1. Subject name</b>	Financing Transport Infrastructure				
<b>2. Code</b>	<b>BMEKOKKD 007</b>	<b>3. Evaluation</b>	exam	<b>4. Credit</b>	4
<b>5. Seminars per week</b>	4 lecture	0 practice	0 lab	<b>6. Curriculum</b>	D0, D1
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	Department of Transport Technology and Economics				
<b>9. Responsible lecturer</b>	Dr. Békefi Zoltán				
<b>10. Lecturers</b>	Dr. Békefi Zoltán				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	-				
<b>13. Objective of the subject</b>					
Presentation of theoretical base of transport infrastructure financing. Financing principles, methods and procedures. Development of skills for practical applications.					
<b>14. Individual student assignment</b>					
Preparing a presentation of a transport infrastructure project, making a financial and economical efficiency analysis based on the methodology introduced on the lectures and computer labs.					
<b>15. Assessment, requirements for examination</b>					
Preparing and presenting the presentation, participation on the lectures and computer labs					



<b>1. Subject name</b>	Functionalanalysis for Engineers				
<b>2. Code</b>	<b>BMEKOVJD 018</b>	<b>3. Evaluation</b>	exam	<b>4. Credit</b>	4
<b>5. Seminars per week</b>	2 lecture	0 practice	0 lab	<b>6. Curriculum</b>	D0, D1
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	Department of Aeronautics, Naval Architecture and Railway Vehicles				
<b>9. Responsible lecturer</b>	Dr. Zobory István				
<b>10. Lecturers</b>	Dr. Zobory István				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	-				
<b>13. Objective of the subject</b>					
Linear normed spaces, operators and functionals on linear spaces. Operations among operators. Metric spaces. The Baire-theorem. Semi-norm. Compactness. Continuity of linear operators. Contraction operators. Complementary concepts. The geometry of Hilbert-spaces. Complete ortonormal systems. The Gram-Schmidt orthogonalization. The projection theorem. The ortogonal complementer. Direct-sum of Hilbert spaces. The representation theorem of Frigyes Riesz. The dual space of a linear space. Unitary and izometric operators. Fourier transform, Fourier operator. The Hahn-Banach theorem. Application of functional analysis in the numerical methods. The Ritz-process.					
<b>14. Individual student assignment</b>					
Practical tasks for using theory.					
<b>15. Assessment, requirements for examination</b>					
Regular participation at the lectures and written exam.					



<b>1. Subject name</b>	Informatics in Logistics (PhD)				
<b>2. Code</b>	<b>BMEKOKUD 014</b>	<b>3. Evaluation</b>	exam	<b>4. Credit</b>	4
<b>5. Seminars per week</b>	4 lecture	0 practice	0 lab	<b>6. Curriculum</b>	D0, D1
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	Department of Material Handling and Logistics Systems				
<b>9. Responsible lecturer</b>	Dr. Kovács Gábor				
<b>10. Lecturers</b>	Dr. Kovács Gábor				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	-				
<b>13. Objective of the subject</b>					
The subject gives advanced knowledge of information technology in logistics systems, including data modelling, computer networks and enterprise resource planning systems.					
<b>14. Individual student assignment</b>					
A semi-annual task, which is connected to the research task of PhD student. Summary of the research in a scientific paper.					
<b>15. Assessment, requirements for examination</b>					
The grade of the PhD student is based on the semester activity and the evaluation of the paper (publishing), in consultation with the supervisor.					



<b>1. Subject name</b>	Materials Science				
<b>2. Code</b>	<b>BMEKOGGD 001</b>	<b>3. Evaluation</b>	exam	<b>4. Credit</b>	4
<b>5. Seminars per week</b>	4 lecture	0 practice	0 lab	<b>6. Curriculum</b>	D0, D1
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	Department of Vehicle Technology				
<b>9. Responsible lecturer</b>	Dr. Bán Krisztián				
<b>10. Lecturers</b>	Dr. Bán Krisztián				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	-				
<b>13. Objective of the subject</b>					
Providing high-quality knowledge of structural materials (metals, alloys, plastics, ceramics and composites), from those production, processing and recycling, covering the entire life cycle of materials, concerning global problems of environmental pollution and sustainable development, and state of the art material testing methods.					
<b>14. Individual student assignment</b>					
The basis of reading course is examination of hungarian and international literature in topics agreed individually.					
<b>15. Assessment, requirements for examination</b>					
The course ends with an oral examination.					



<b>1. Subject name</b>	Mathematical methods I.				
<b>2. Code</b>	<b>BMEKOKAD 003</b>	<b>3. Evaluation</b>	exam	<b>4. Credit</b>	4
<b>5. Seminars per week</b>	2 lecture	0 practice	0 lab	<b>6. Curriculum</b>	D0, D1
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	<b>Department of Control for Transportation and Vehicle Systems</b>				
<b>9. Responsible lecturer</b>	Dr. Péter Tamás				
<b>10. Lecturers</b>	Dr. Péter Tamás				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	-				
<b>13. Objective of the subject</b>					
<p>1.) Extreme value theorem.</p> <p>2.) Regression analysis. The basic equation of regression. Ritz method. Regression surface. Multidimensional regression. Scalar vector function. Regression of vector-vector function. Complex function regression. Implicit function regression. Regression of a Parameter Assigned Function. Regression of the space curve Special Regression Procedures. Statistical linearization method. SISO and MIMO models. Harmonic linearization. Inverse linearization.</p> <p>3.) Calculus of variations. Functional concept. Subject of the variation calculation. The "Brachisztochron problem". The Ritz method. The Lemma of variation calculation. The Euler-Lagrange equation. The variational method in mechanics.</p> <p>4.) The equation of motion, in mathematical physics. The variation principle in mechanics. The Hamilton's principle. Applications for dynamic systems. Lagrange equations. Fermat's principle in geometrical optics.</p> <p>5.) Theory of Linear Systems. Zadeh's definition of the system. Abstract objects. Equivalence of two or more objects. Convolution, convolution batch. Weight function batch, SISO and MIMO systems. Transmission matrix and weight function matrix..</p> <p>6.) The Stochastic processes. Definition. Classification. Categories. The multivariate distribution. The Stationarity. Determining the expected value of the process and its autocorrelation function. The ergodic processes. Auto and cross correlation function Definition of auto and cross spectrum Properties. SISO and MIMO systems. The definition of spectral density. Definition and relationship of spectra. Calculation of spectral density.</p>					
<b>14. Individual student assignment</b>					
Writing a paper using mathematical methods in the field of the student. The paper will be evaluated by the lecturer.					
<b>15. Assessment, requirements for examination</b>					
The credits are obtained by completing the assignment and by passing the oral exam.					



<b>1. Subject name</b>	Mathematical methods II.				
<b>2. Code</b>	<b>BMEKOKAD 007</b>	<b>3. Evaluation</b>	exam	<b>4. Credit</b>	4
<b>5. Seminars per week</b>	1 lecture	0 practice	0 lab	<b>6. Curriculum</b>	D0, D1
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	<b>Department of Control for Transportation and Vehicle Systems</b>				
<b>9. Responsible lecturer</b>	Dr. Péter Tamás				
<b>10. Lecturers</b>	Dr. Péter Tamás				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	-				
<b>13. Objective of the subject</b>					
1.) The symbolic calculations. Definition of Computer algebra. Key features of symbolic calculations. The limitations of symbolic calculations. Symbolic and numerical calculations. Mathematical analysis in Maple environment. Graphic applications. 2.) Modeling of transport systems. Vehicle dynamics modeling. Mathematical modeling of spatial non-linear swing system. Modeling of road transport systems. Modeling large-scale networks. Automating mathematical modeling for large complex systems. 3.) The notable equations and their applications. Euler equation. Euler-Lagrange equation. The Lagrange's equations of the first kind. The Lagrange's equations of the second kind. 4.) Designing Optimum Linear Systems. To solve the Riccati equation by Anderson's iteration method. Kalman-Bucy filter by Maple. Design of nonlinear systems. Maple Analysis of Lyapunov Functions					
<b>14. Individual student assignment</b>					
Writing a paper using mathematical methods in the field of the student. The paper will be evaluated by the lecturer.					
<b>15. Assessment, requirements for examination</b>					
The credits are obtained by completing the assignment and by passing the oral exam.					



<b>1. Subject name</b>	Mechanics of plastic deformations				
<b>2. Code</b>	<b>BMEKOJSD 002</b>	<b>3. Evaluation</b>	exam	<b>4. Credit</b>	4
<b>5. Seminars per week</b>	2 lecture	1 practice	0 lab	<b>6. Curriculum</b>	D0, D1
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	Department of Vehicle Elements and Vehicle-Structure Analysis				
<b>9. Responsible lecturer</b>	Dr. Béda Péter				
<b>10. Lecturers</b>	Dr. Béda Péter				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	-				
<b>13. Objective of the subject</b>					
Presentation of basic notions and study methods of the plastic deformations. Theoretical background for those PhD students who need to study plastic deformations.					
<b>14. Individual student assignment</b>					
Preparation of an essay or paper in the topic of the PhD student, based on the discussed methods. Review and evaluation by the teacher.					
<b>15. Assessment, requirements for examination</b>					
Semester note upon successful realisation of the homework and an oral exam.					





<b>1. Subject name</b>	Modern control theory II.				
<b>2. Code</b>	<b>BMEKOKAD 002</b>	<b>3. Evaluation</b>	exam	<b>4. Credit</b>	<b>5</b>
<b>5. Seminars per week</b>	<b>4 lecture</b>	<b>0 practice</b>	<b>0 lab</b>	<b>6. Curriculum</b>	<b>D0, D1</b>
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	<b>Department of Control for Transportation and Vehicle Systems</b>				
<b>9. Responsible lecturer</b>	Dr. Bokor József				
<b>10. Lecturers</b>	Dr. Bokor József Dr. Szabó Zoltán				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	Szabályozástechnika, lineáris algebra alapjai				
<b>13. Objective of the subject</b>					
This course provides an introduction to robust control theory. Starting from basics, i.e., signal and system norms, stability, stabilizability and performance measures we develop first the classical LQ theory, followed by the H2 design. We emphasise the role of the small gain approach in the robust analysis and synthesis. The main part of the course is dedicated to the H $\infty$ design, both the two Riccati and the LMI approach. Finally the structured singular value with $\mu$ analysis and synthesis is presented.					
<b>14. Individual student assignment</b>					
Students should solve a dedicated robust analysis and design example related to a vehicle dynamics application.					
<b>15. Assessment, requirements for examination</b>					
The credits are obtained by completing the design task and by passing the oral exam. Prior to be accepted for the exam, students should fulfil the design task and should summarize their results in a report.					



<b>1. Subject name</b>	Nonlinear mechanical oscillations				
<b>2. Code</b>	<b>BMEKOJSD 003</b>	<b>3. Evaluation</b>	exam	<b>4. Credit</b>	4
<b>5. Seminars per week</b>	2 lecture	1 practice	0 lab	<b>6. Curriculum</b>	D0, D1
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	Department of Vehicle Elements and Vehicle-Structure Analysis				
<b>9. Responsible lecturer</b>	Dr. Béda Péter				
<b>10. Lecturers</b>	Dr. Béda Péter				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	-				
<b>13. Objective of the subject</b>					
Presentation of basic notions and study methods of nonlinear theory of oscillations. Theoretical background for those PhD students who need to study motion of nonlinear mechanical systems.					
<b>14. Individual student assignment</b>					
Preparation of an essay or paper in the topic of the PhD student, based on the discussed methods. Review and evaluation by the teacher.					
<b>15. Assessment, requirements for examination</b>					
Semester note upon successful realisation of the homework and an oral exam.					



<b>1. Subject name</b>	Operational Research in Logistics				
<b>2. Code</b>	<b>BMEKOALD 001</b>	<b>3. Evaluation</b>	exam	<b>4. Credit</b>	4
<b>5. Seminars per week</b>	4 lecture	0 practice	0 lab	<b>6. Curriculum</b>	D0, D1
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	<b>Department of Material Handling and Logistics Systems</b>				
<b>9. Responsible lecturer</b>	Dr. Bóna Krisztián				
<b>10. Lecturers</b>	Dr. Bóna Krisztián				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	-				
<b>13. Objective of the subject</b>					
<p>The specialities of the logistics modeling. The typical properties of the logistics optimization problems. Deterministic and stochastic dynamic programming in logistics. Multi-criteria optimization problems and models, analytical hierarchy process and pareto optimizing in logistics systems. Linear and non-linear programming and conditional optimum searching in logistics. Stochastic modeling, optimum seeking in stochastic environment. Mathematical algorithms of the discrete event based simulation models, and its applications in logistics system modelling. Special issues in operational research. Soft computing techniques based optimum seeking in logistics modeling. Documentation of logistics models and algorithms (case study).</p>					
<b>14. Individual student assignment</b>					
<p>Creating a case study with developing a mathematical model, in connection to the PhD student's scientific research. Summarizing of the results in a scientific white paper.</p>					
<b>15. Assessment, requirements for examination</b>					
<p>The grade of the Phd student is based on the research activity, and the quality of the developed model, and the scientific white paper.</p>					



<b>1. Subject name</b>	Processes of Vehicle Production				
<b>2. Code</b>	<b>BMEKOGGD 003</b>	<b>3. Evaluation</b>	exam	<b>4. Credit</b>	4
<b>5. Seminars per week</b>	4 lecture	0 practice	0 lab	<b>6. Curriculum</b>	D0, D1
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	Department of Vehicle Technology				
<b>9. Responsible lecturer</b>	Dr. Markovits Tamás				
<b>10. Lecturers</b>	Dr. Markovits Tamás				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	-				
<b>13. Objective of the subject</b>					
Objective of the subject is to give high level knowledge of technologies using in manufacturing and repairing of vehicles. The place of installation technologies in the manufacturing process. Specific joint and welding technologies using in vehicle manufacturing.					
<b>14. Individual student assignment</b>					
Independent research of literature and creation of document is necessary from the determined topic.					
<b>15. Assessment, requirements for examination</b>					
The course ends with an oral examination.					



<b>1. Subject name</b>	Processes of Vehicle Production				
<b>2. Code</b>	<b>BMEKOGTD 013</b>	<b>3. Evaluation</b>	exam	<b>4. Credit</b>	4
<b>5. Seminars per week</b>	4 lecture	0 practice	0 lab	<b>6. Curriculum</b>	D0, D1
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	Department of Vehicle Technology				
<b>9. Responsible lecturer</b>	Dr. Vehovszky Balázs				
<b>10. Lecturers</b>	Dr. Vehovszky Balázs				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	-				
<b>13. Objective of the subject</b>					
Giving high-level theoretical knowledge of processes of forming, manufacturing and repairing of vehicles and those parts, as well as of surface properties transforming processes, cutting and fine surface finishing technologies.					
<b>14. Individual student assignment</b>					
-					
<b>15. Assessment, requirements for examination</b>					
The course ends with an oral examination.					



<b>1. Subject name</b>	Simulation systems and software				
<b>2. Code</b>	<b>BMEKOEAD 011</b>	<b>3. Evaluation</b>	exam	<b>4. Credit</b>	4
<b>5. Seminars per week</b>	4 lecture	0 practice	0 lab	<b>6. Curriculum</b>	D0, D1
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	<b>Department of Material Handling and Logistics Systems</b>				
<b>9. Responsible lecturer</b>	Dr. Bohács Gábor				
<b>10. Lecturers</b>	Dr. Bohács Gábor				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	-				
<b>13. Objective of the subject</b>					
<p>The subject aims to give an overview for the students on advanced simulation modelling technology for logistics. Main features of simulation software is discussed. During the classes basic features of system dynamics, discrete event simulation and agent based simulations are discussed as well. Typical application areas of simulations for industrial and scientific purposes also surveyed. Optimization methods are presented in details. During the semester the students write 2 tests and an individual essay.</p>					
<b>14. Individual student assignment</b>					
<p>Each student should write an essay on the solution of a simulation related problem. This essay is expected to be the basis of a scientific paper. The students need to create a simulation agent and test it into modelling environment.</p>					
<b>15. Assessment, requirements for examination</b>					
<p>The grade is calculated from the grade of the individual work and the two mid-term tests as an average.</p>					



<b>1. Subject name</b>	Stochastic Processes in System Dynamics I.				
<b>2. Code</b>	<b>BMEKOVJD 009</b>	<b>3. Evaluation</b>	<b>exam</b>	<b>4. Credit</b>	<b>4</b>
<b>5. Seminars per week</b>	<b>2 lecture</b>	<b>0 practice</b>	<b>0 lab</b>	<b>6. Curriculum</b>	<b>D0, D1</b>
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	<b>Department of Aeronautics, Naval Architecture and Railway Vehicles</b>				
<b>9. Responsible lecturer</b>	Dr. Zobory István				
<b>10. Lecturers</b>	Dr. Zobory István				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	Analitikus módszerek a rendszertechnikában I.				
<b>13. Objective of the subject</b>					
Stochastic excitation of a deterministic dynamical system model. Deterministic excitation of a stochastic dynamical system model: the output as a stochastic process. Horizontal and vertical characterisation of a stochastic process. The probability field. Operations among events. The relative frequency. The Lebesgue-type probability field. Properties of the probability measure. Conditional probability. Conditional probability field. Conditional probability with respect to a zero probability condition event. Independence of events. Pair-wise and complete independence of the elements of event sequences. Complete set of events. The theorem of complete probability. The Bayes theorem. The mapping of the set of elementary events on a linear space. The linear space of random variables. Norm of linear spaces. Completeness of linear spaces. Banach spaces. Unitary linear spaces. Hilbert spaces. Real-valued, complex-valued vector-valued random variables. Stochastic sequence, stochastic process. Probability distributions, distribution function, basic properties, applications. Frequently used probability distributions. Probability density functions. Generalised density functions. Frequently used density functions. Characterisation of random variables by numerical values. Expectation, standard deviation and higher momentums. Random variables in $L_2$ . Characterisation of the Borel-measurable functions of random variables. Connection between the generator function and the characteristic function. Markov- and Chebishev-inequalities. Distribution function and density function for vector valued random variables. Marginal distribution function and density function. Expected vector and standard deviation matrix. Covariance and correlation. Conditional distribution function and density function. Special case of zero probability condition. Conditional expectation. Regression function. Connection between two random variables. Pair-wise and complete independence of random variables. Operations among random variables, distribution of sum, product, quotient of random variables. Convergence concepts for random variable sequences. The weak law of large numbers. Central limit theorem.					
<b>14. Individual student assignment</b>					
Practical tasks for using theory.					
<b>15. Assessment, requirements for examination</b>					
Regular participation at the lectures and written exam.					



<b>1. Subject name</b>	Stochastic Processes in System Dynamics II.				
<b>2. Code</b>	<b>BMEKOVJD</b> <b>010</b>	<b>3. Evaluation</b>	<b>exam</b>	<b>4. Credit</b>	<b>4</b>
<b>5. Seminars per week</b>	<b>2 lecture</b>	<b>0 practice</b>	<b>0 lab</b>	<b>6. Curriculum</b>	<b>D0, D1</b>
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	<b>Department of Aeronautics, Naval Architecture and Railway Vehicles</b>				
<b>9. Responsible lecturer</b>	Dr. Zobory István				
<b>10. Lecturers</b>	Dr. Zobory István				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	Szochasztikus folyamatok a rendszerdinamikában I.				
<b>13. Objective of the subject</b>					
Horizontal and vertical treatment of stochastic processes. The fundamental theorem of Kolmogorov. Characteristic functions of stochastic processes. Expected value function, momentum functions and autocorrelation function. The Hilbert-space $L_2(\square, A, P)$ . The stochastic process as an "in-space curve" in the Hilbert-space. Some simple stochastic processes. The manifold of straight lines of random position. Stochastic differential equations, two characteristic types. Point processes, counting processes. The three conditions together result in a Poisson-process. Characteristic functions of the Poisson-process. Secondary processes generated by point process. The one-dimensional marginal distribution. The one-dimensional limit-distribution. Renewal processes. Smith-theorem of the renewal theory. Operation process model for machinery systems, generated by a point process. Torque process and RPM process of the driving shaft. Determining the joint limit distribution by using the theorem of complete probability. Some simple variations for point process generated secondary process. Markov-chains and processes. Properties of the transition probability matrices. Marginal distributions of the Markov-chain. Single dimensional random walk on the integers. Stationary Markov-chains. Ergodic Markov-chains. Transition-density functions. The Chapman-Kolmogorov equation. The birth-death process. Model for the service-theory. Permanent distribution. Stationary processes. Strict- and weak stationarity of different order. Spectral properties. Ergodicity with respect to the expected value function and to the autocorrelation function. Gaussian-processes. Basic properties of the Brown-motion process. Characteristic functions of the Brown-motion process.					
<b>14. Individual student assignment</b>					
Solution of a homework using mathematical methods. Individual programming tasks using equations of the theoretical part of the course.					
<b>15. Assessment, requirements for examination</b>					
Accepted homework sent before the deadline and written exam.					





<b>1. Subject name</b>	Stochastic Processes in System Dynamics III.				
<b>2. Code</b>	<b>BMEKOVJD 011</b>	<b>3. Evaluation</b>	<b>exam</b>	<b>4. Credit</b>	<b>4</b>
<b>5. Seminars per week</b>	<b>2 lecture</b>	<b>0 practice</b>	<b>0 lab</b>	<b>6. Curriculum</b>	<b>D0, D1</b>
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	<b>Department of Aeronautics, Naval Architecture and Railway Vehicles</b>				
<b>9. Responsible lecturer</b>	Dr. Zobory István				
<b>10. Lecturers</b>	Dr. Zobory István				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	Szochasztikus folyamatok a rendszerdinamikában I. és II.				
<b>13. Objective of the subject</b>					
Transfer system characterized by a stochastic differential equation. Convergence concepts for stochastic sequences. The derivative process of a stochastic process. Harmonic oscillator excited by a stochastic process. Analytic concepts with respect to the convergence in the mean square. The transfer theorem. Tracing back the limit value, the continuity, the differentiability and the integrability in the mean square sense, to the properties of the (deterministic) autocorrelation function of the process. Characteristics in the mean square sense for second order weakly stationary processes. Level exceeding circumstances with stochastic processes. Generating realisation functions of second order weakly stationary processes. Spectral representation of second order weakly stationary processes. The concept of random measure and the stochastic integral defined on the basis of it. Stochastic characterisation of deterministic functions. The Brown-motion process and the white-noise. Characterisation of the time history of stochastic processes. The theorem of iterated logarithm. Further features of the Brown-motion process. The continuity and non-differentiability of the Brown-motion process. Generalized functions and stochastic processes. Defining stochastic integral. The stochastic integral leads to martingals. The extended definition of the conditional expectation. The extended definition of the conditional probability. Non-anticipative functions. Solutions to stochastic differential equations. The Ito-type stochastic differential equation. Existence and unicity of the solution. Required properties for unuque solvability of stochastic differential equation systems. The question on the existence of a global solution. Autonom stochastic differential equation. Linear stochastic differential equation. The homogeneous case. The non-homo-geneous case. The Ornstein-Uhlenbeck process					
<b>14. Individual student assignment</b>					
Solution of a homework using mathematical methods. Individual programming tasks using equations of the theoretical part of the course.					
<b>15. Assessment, requirements for examination</b>					
Accepted homework sent before the deadline and written exam.					



<b>1. Subject name</b>	Transport Economics I (PhD)				
<b>2. Code</b>	<b>BMEKOKGD 006</b>	<b>3. Evaluation</b>	exam	<b>4. Credit</b>	4
<b>5. Seminars per week</b>	3 lecture	2 practice	0 lab	<b>6. Curriculum</b>	D0, D1
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	Department of Transport Technology and Economics				
<b>9. Responsible lecturer</b>	Dr. Táczos Lászlóné, Dr. Török Ádám				
<b>10. Lecturers</b>	Dr. Táczos Lászlóné, Dr. Török Ádám				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	-				
<b>13. Objective of the subject</b>					
Transp.Eco.I.PhD					
<b>14. Individual student assignment</b>					
Individual student task is to modell and analyse a transport economic problem					
<b>15. Assessment, requirements for examination</b>					
It is required to fulfill in time the individual student work. The exam is oral exam.					



<b>1. Subject name</b>	Transport Economics II (PhD)				
<b>2. Code</b>	<b>BMEKOKGD 007</b>	<b>3. Evaluation</b>	exam	<b>4. Credit</b>	4
<b>5. Seminars per week</b>	3 lecture	2 practice	0 lab	<b>6. Curriculum</b>	D0, D1
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	Department of Transport Technology and Economics				
<b>9. Responsible lecturer</b>	Dr. Tácsos Lászlóné, Dr. Török Ádám				
<b>10. Lecturers</b>	Dr. Tácsos Lászlóné, Dr. Török Ádám				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	-				
<b>13. Objective of the subject</b>					
Transp. Eco.II.PhD					
<b>14. Individual student assignment</b>					
Individual student task is to model and analyse a transport economic problem					
<b>15. Assessment, requirements for examination</b>					
It is required to fulfill in time the individual student work. The exam is oral exam.					



<b>1. Subject name</b>	Vehicle Manufacturing Systems				
<b>2. Code</b>	<b>BMEKOGTD 014</b>	<b>3. Evaluation</b>	exam	<b>4. Credit</b>	4
<b>5. Seminars per week</b>	4 lecture	0 practice	0 lab	<b>6. Curriculum</b>	D0, D1
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	Department of Vehicle Technology				
<b>9. Responsible lecturer</b>	Dr. Takács János				
<b>10. Lecturers</b>	Dr. Takács János				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	-				
<b>13. Objective of the subject</b>					
The aim of this subject to give research and development approach to design, build, and modernise manufacturing systems of vehicles and those parts.					
<b>14. Individual student assignment</b>					
-					
<b>15. Assessment, requirements for examination</b>					
The course ends with an oral examination.					



<b>1. Subject name</b>	Vehicle Materials				
<b>2. Code</b>	<b>BMEKOGGD 002</b>	<b>3. Evaluation</b>	exam	<b>4. Credit</b>	4
<b>5. Seminars per week</b>	4 lecture	0 practice	0 lab	<b>6. Curriculum</b>	D0, D1
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	Department of Vehicle Technology				
<b>9. Responsible lecturer</b>	Dr. Bán Krisztián				
<b>10. Lecturers</b>	Dr. Bán Krisztián				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	-				
<b>13. Objective of the subject</b>					
Giving high-level theoretical knowledge of vehicles structural materials, manufacturing processes of vehicle parts, including plastic deformation processes, surface properties transforming processes and their machines.					
<b>14. Individual student assignment</b>					
The basis of reading course is examination of hungarian and international literature in topics agreed individually.					
<b>15. Assessment, requirements for examination</b>					
The course ends with an oral examination.					



<b>1. Subject name</b>	Vehicle system dynamics I.				
<b>2. Code</b>	<b>BMEKOVJD 007</b>	<b>3. Evaluation</b>	<b>exam</b>	<b>4. Credit</b>	<b>4</b>
<b>5. Seminars per week</b>	<b>2 lecture</b>	<b>0 practice</b>	<b>0 lab</b>	<b>6. Curriculum</b>	<b>D0, D1</b>
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	<b>Department of Aeronautics, Naval Architecture and Railway Vehicles</b>				
<b>9. Responsible lecturer</b>	Dr. Zobory István				
<b>10. Lecturers</b>	Dr. Zobory István				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	-				
<b>13. Objective of the subject</b>					
<p>Investigation method used for treating the problems of system dynamics. System identification via the least-squares' method. Characterisation of mechanical systems by means of logical flow-charts. Logical flow-chart of vibration system excited by kinematical load or force load. Logical flow chart of a block braked vehicle wheel taking into consideration the tribological characteristics of the sliding friction and the rolling contact. Flow chart for the starting process of a vehicle drive system. Dynamical model of the speed regulator system for a Diesel-engine. Simplified flow-chart of the engine – regulator system. Construction of the system equations of the regulator taking into consideration an ideal engine, sliding friction as well as a hydraulic amplifier. Representation of dynamical systems by structure graph. Analogies between mechanical and electric systems. Description of the node and loop equations of dynamical networks. Elementary relations for the source-free bows. Mechanical impedance. Examples for the construction of structure graphs of excited and damped vibratory systems in the presence of complex valued periodic and non-periodic excitations. Representation of dynamical systems by signal flow graph. Construction of the motion equations of lumped parameter dynamical systems by synthetic and analytic methods. Lagrangean equations of second kind. The general theory of linear dynamical systems. System description in the time domain: the weighting function and the transition function. Treating of the systems with excitation: the convolution integral and the Duhamel-integral. System description in the frequency domain. The complex frequency function. Analysis of the reponse of linear systems excited by periodic, non-periodic or in 2nd order weakly stationary random excitations. Analysis of the outputs in the case of MIMO system. The coherency function and its applications.</p>					
<b>14. Individual student assignment</b>					
Practical tasks for using theory.					
<b>15. Assessment, requirements for examination</b>					
Regular participation at the lectures and written exam.					



<b>1. Subject name</b>	Vehicle system dynamics II.				
<b>2. Code</b>	<b>BMEKOVJD 008</b>	<b>3. Evaluation</b>	<b>exam</b>	<b>4. Credit</b>	<b>4</b>
<b>5. Seminars per week</b>	<b>2 lecture</b>	<b>0 practice</b>	<b>0 lab</b>	<b>6. Curriculum</b>	<b>D0, D1</b>
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	<b>Department of Aeronautics, Naval Architecture and Railway Vehicles</b>				
<b>9. Responsible lecturer</b>	Dr. Zobory István				
<b>10. Lecturers</b>	Dr. Zobory István				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	Járműrendszerdinamika I.				
<b>13. Objective of the subject</b>					
Characterisation of the connection forces arising between structural components. Force processes emerging in a damped linear vibratory system. The vibratory system, as a closed effect-chain system with feed-back. Bivariate continuous characteristic connection force surface in linear and nonlinear cases. Discontinuous connection force characteristic surfaces. Dry friction dampers. Taking into consideration the local elasticity. The effect of the sliding speed dependent friction coefficient on the characteristic surface. Deduction of the description of the force connection having short distance memory, for numerical applications. Treatment of the antecedent-dependence by an assembly of local planes. Defining a path-band on the motion-state plane. Equilibrium state on the local plane. Connection with the catastrophe theory. Double path-band on the motion-state plane. Non smooth dynamics. Examples for systems with friction connection. Time dependent (controlled) frictional limit-force. Conditional force-connections. Only compressive force transfer. Only tensile force transfer. Connection with back.lash. Conditional connections working against each other. The effect of linear damping on the conformation of the conditional connection force. Introduction of the local elasticity. Conditional connection tightened against each other. Dynamics and tribology of rolling contacts. Traction arising on the contact surface. Stationary rolling in the presence of creep-dependent connection force. The Kalker-theory for the linearized connection force transfer. The five parameter non-linear function of the force connection coefficient. The naive stochastic model of the force connection coefficient. The force connection coefficient as a two parameter stochastic field. Semi-Markovian carrier process and a stationary fluctuation process as a function of the distance covered by rolling. Characterisation of the real contact conditions. Wear process of rolling connections. Relation between the dissipated energy-flow density and the debris mass-flow density. Wear simulation. Smoothing problems.					
<b>14. Individual student assignment</b>					
Practical tasks for using theory.					
<b>15. Assessment, requirements for examination</b>					
Regular participation at the lectures and written exam.					



<b>1. Subject name</b>	Vehicle system dynamics III.				
<b>2. Code</b>	<b>BMEKOVJD 014</b>	<b>3. Evaluation</b>	<b>exam</b>	<b>4. Credit</b>	<b>4</b>
<b>5. Seminars per week</b>	<b>2 lecture</b>	<b>0 practice</b>	<b>0 lab</b>	<b>6. Curriculum</b>	<b>D0, D1</b>
<b>7. Needed working hours for achieving the requirements of the subject</b>					-
<b>Contact hours</b>	-	<b>Preparation for seminars</b>	-	<b>Homework</b>	-
<b>Reading written syllabus</b>	-	<b>Exam preparation</b>	-	<b>Final exam preparation</b>	-
<b>8. Department</b>	<b>Department of Aeronautics, Naval Architecture and Railway Vehicles</b>				
<b>9. Responsible lecturer</b>	Dr. Szabó András				
<b>10. Lecturers</b>	Dr. Szabó András				
<b>11. Mandatory requirement</b>	-				
<b>12. Recommended requirements</b>	Járműrendszerdinamika II.				
<b>13. Objective of the subject</b>					
Distributed parameter beam model of the transportation track on elastic foundation. Treatment of the moving load acting on the track model. Models of system dynamics: lumped parameter models, distributed parameter models and hybrid models. Connecting the track/vehicle models, complex model formation. The degree of freedom of the models. Constraint equations. Gravity point position characterising free coordinates and acceleration-coupled systems. Forces arising in the track/vehicle system. Geometric and parametric track irregularities acting on the system as excitation effects. Generation of the motion equations of the system by synthetic method. Specifying the wheel and rail profiles. Computing the normal forces acting on the rail surface. Prediction of the wheel and rail wear by simulation. Conditions of the stable running. Numerical stability analysis. Nonlinear effects after loss of dynamical stability, the limit-cycle motion. The lateral dynamical model of the railway track/vehicle system using the continuum model of the track. Numerical simulation. Beam models of different detail level of the railway track for moving vertical loads. Solution to the boundary value problem. Treatment of the complex coefficient algebraic equation emerging in the course of the numerical analysis. The combined modelling of the track and the lumped parameter vehicle moving along it, as a hybrid dynamical system.					
<b>14. Individual student assignment</b>					
Practical tasks for using theory.					
<b>15. Assessment, requirements for examination</b>					
Regular participation at the lectures and written exam.					